

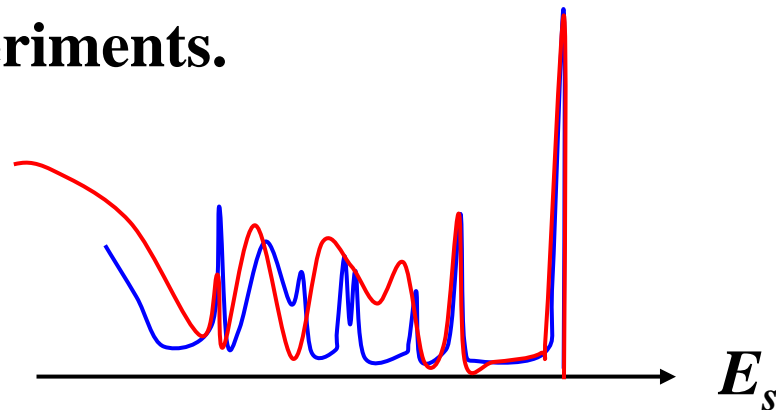
# Spin polarization in QFS experiments with RI beams

Tomohiro Uesaka  
CNS, University of Tokyo

- **Why Polarization?**
  - spin-parity assignment**
  - determination of spin-orbit splitting**
  - necessary or not necessary?**
- **CNS Polarized Proton Target for RI beam exp.**
  - principle**
  - apparatus**
  - target performance**
  - can be used in RI beam induced QFS exp.?**
- **QFS experiments at RIBF**

# Why Polarization?

**In stable beam experiments, spin-parities of the hole states populated by (p,pN)/(e,eN) reactions are usually known prior to the experiments.**



**But, In (future) RI beam experiments, this is not the case.**

**experimental information is scarce**

**theoretical predictions are less reliable**

**In addition, even low-lying states are above the particle threshold in many cases.**

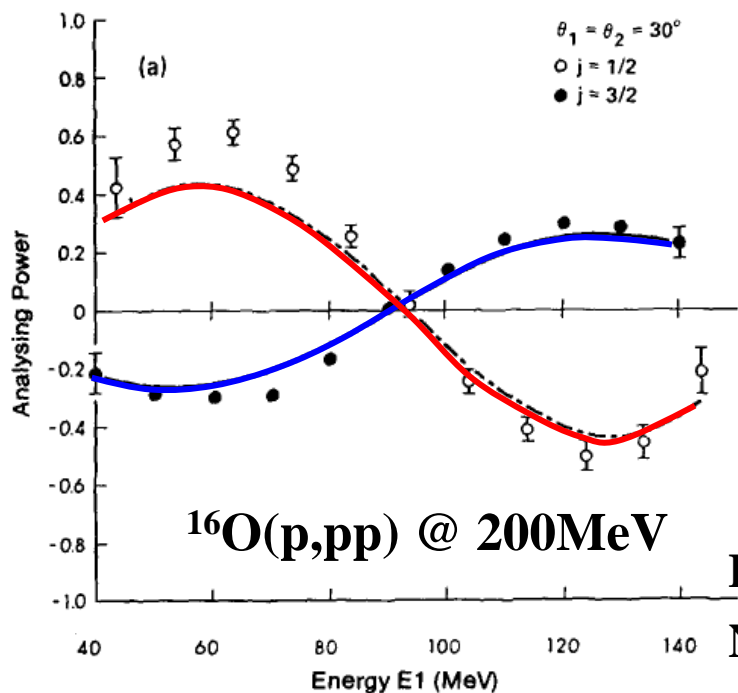
# Why Polarization? (*cont.*)

An experimental method to determine spin-parties is required.

**L, parity** ← momentum dependences of cross section

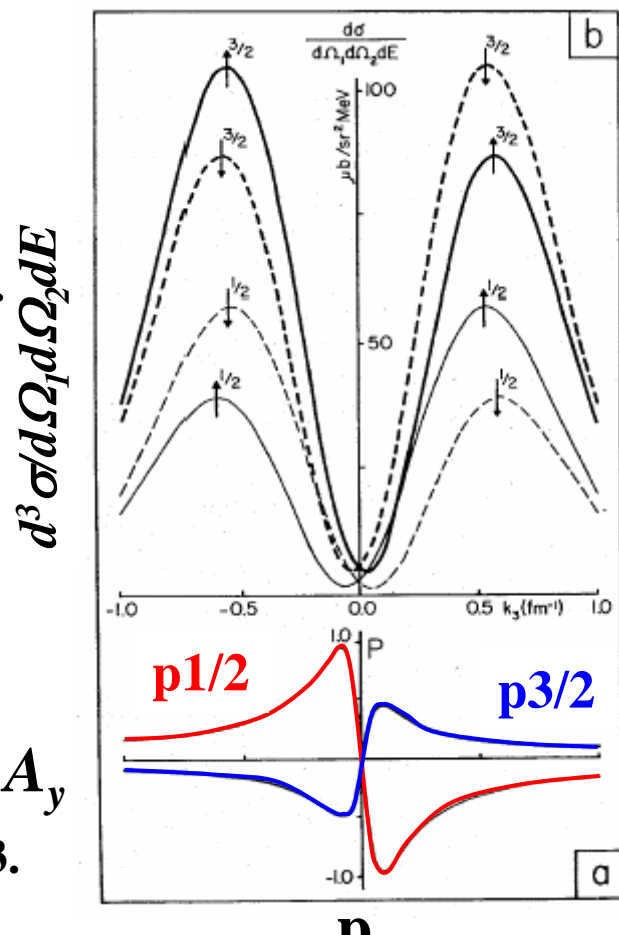
**J** ← **spin-asymmetry  $A_y$**

: Maris effect



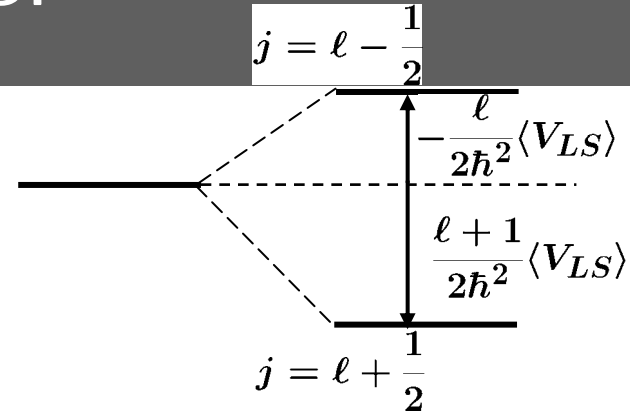
G. Jacob et al.,  
 PLB 45 (1973) 181.

P. Kinching et al.,  $A_y$   
 NPA 340 (1980) 423.



# Spin-orbit coupling in nuclei

**“Strong spin-orbit coupling”** constitutes the basis of nuclear physics  
 → conventional magic numbers



Spin-orbit splitting ( $\Delta E_{ls} = E_{j>} - E_{j<}$ ) of single particle states can be a good measure of the spin-orbit coupling.

$\Delta E_{ls}$  ( $0p$  in  $^{16}\text{O}$ ) :  $\sim 6 \text{ MeV}$

## Microscopic origins of the spin-orbit coupling

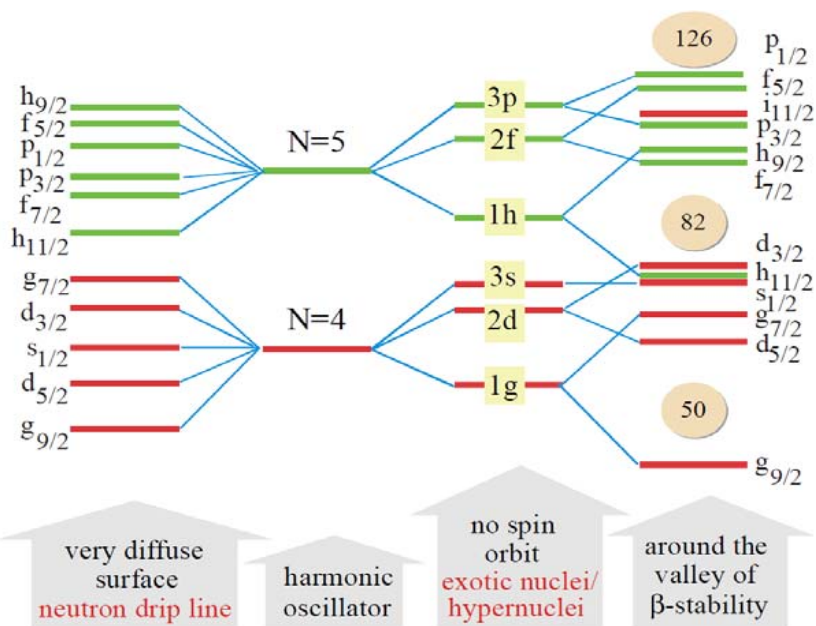
K.Ando and H. Bando, Prog. Theor. Phys. **66** (1981) 227.

S.C. Pieper and V.R. Pandharipande, Phys. Rev. Lett. **70** (1993) 2541.

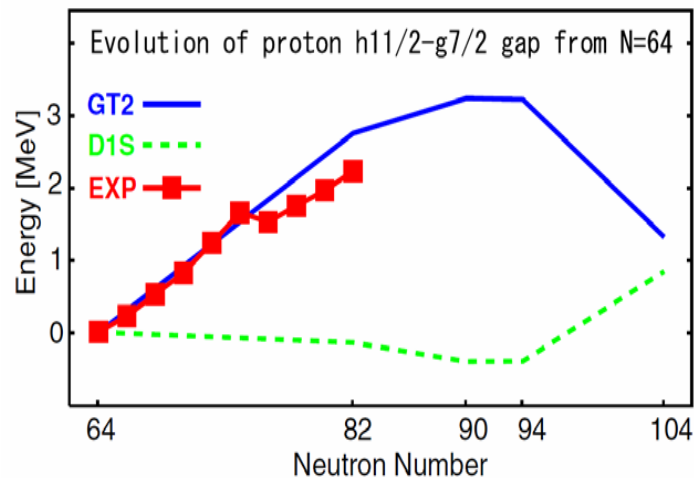
$^{16}\text{O}$ ,  $^{40}\text{Ca}$  cases,

- 2N spin-orbit force →  $\sim$ half of  $\Delta E_{ls}$
- 2N tensor force →  $\sim$ 1/4 of  $\Delta E_{ls}$
- 3N forces →  $\sim$ 1/4 of  $\Delta E_{ls}$

## Weakening of spin-orbit coupling Dobaczewski, Ring . . . .



## Tensor force effects T. Otsuka



## 3N force B. Pudliner

$$^{15}\text{N}: \Delta E_{1s} = 6.1 \text{ MeV}$$



$$^7\text{n} : \Delta E_{1s} = 1.4 \text{ MeV}$$

# Spin-orbit splitting in n-/p-rich nuclei

**How  $\Delta E_{ls}$  changes as a function of  $Z/N$ ?  
 a key to understand shell regularity  
 far from the stability line.**

- ex. J. Dobacewski et al., Phys. Rev. Lett. **72** (1994) 981.
- M.M. Sharma et al., Phys. Rev. Lett. **72** (1994) 1431.
- T. Otsuka et al., Phys. Rev. Lett. **97** (2006) 162501.
- B.Pudliner et al. Phys. Rev. Lett. **76** (1995) 2416.
- .....

⇔ **isospin-dependences of interactions**

**NN spin-orbit**

**weak isospin dependence**

**NN tensor**

**strong isospin dependence**

**3N**

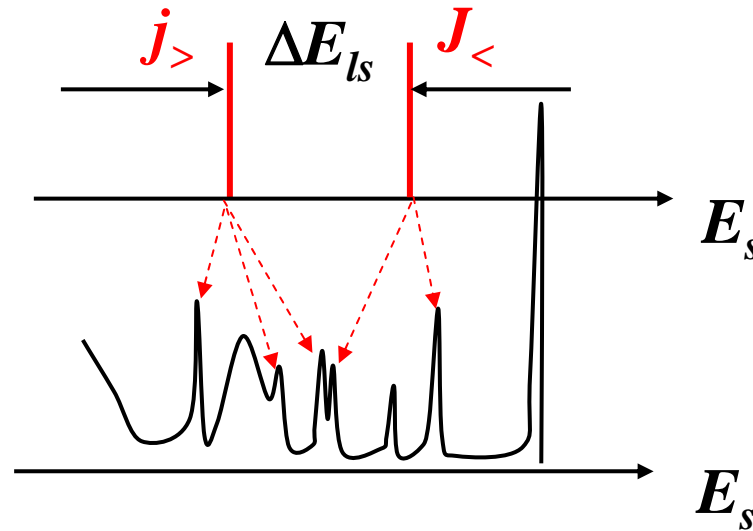
**in  $n$ -rich region**

**$T=1/2$  3NF  $\rightarrow$  weaker**

**$T=3/2$  3NF might be dominant**

**It is stimulating to see experimentally  
 how  $\Delta E_{ls}$  changes as a function of  $Z/N$ .**

# Experimental determination of $\Delta E_{ls}$



**Fragmented strength of  $j_>$  and  $j_<$**

**state-by-state assignment of J and L**

**multi-pole decomposition analysis for continuum states**

**We need a polarized target which can be used in radioactive isotope beam experiments.**

# Polarized proton targets in the market

recent review: St. Goertz et al., Prog. Part. Nucl. Phys. 49 (2002) 403.

## Gas target

pure hydrogen gas

polarization ~ 70%

thickness ~  $10^{14}$  /cm<sup>2</sup>

→ too thin for use in RI beam experiments

## "Standard" solid target

C<sub>4</sub>H<sub>9</sub>OH, NH<sub>3</sub>, LiH. . . . .

polarization > 50%

thermal polarization of electron

$$P = \frac{N_{\uparrow} - N_{\downarrow}}{N_{\uparrow} + N_{\downarrow}} = \tanh \left( \frac{g\mu_N B}{2kT} \right)$$

→ high mag. field( and low temperature) are required

2.5 - 6.5 T (0.2 - 1.5K)

→ too high for use in QFS experiments

# Operation at low magnetic field

## Why necessary?

**Separation energy resolution depends primarily on angular resolution of scattered and recoiled protons.**

$$\Delta\theta \sim 1 \text{ mrad}$$

$$(B\rho)_p \sim 1 - 2 \text{ Tm}$$

**In the presence of magnetic field of 3 Tesla,  
the proton trajectory is bended by  $> 300$  mrad before  
detection**

**Polarized target working at  $< 0.1$  T is needed to achieve  
reasonable angular resolution of  $\sim 1$  mrad (after correction)**

## How possible?

**use of “spontaneous” polarization of electrons  
in photo-excited triplet states of aromatic molecules**

H.W. van Kesteren et al., PRL **55** (1985) 1642.

M. Iinuma et al., PRL **84** (2000) 171.

T. Wakui et al., NIM A **550** (2005) 521.

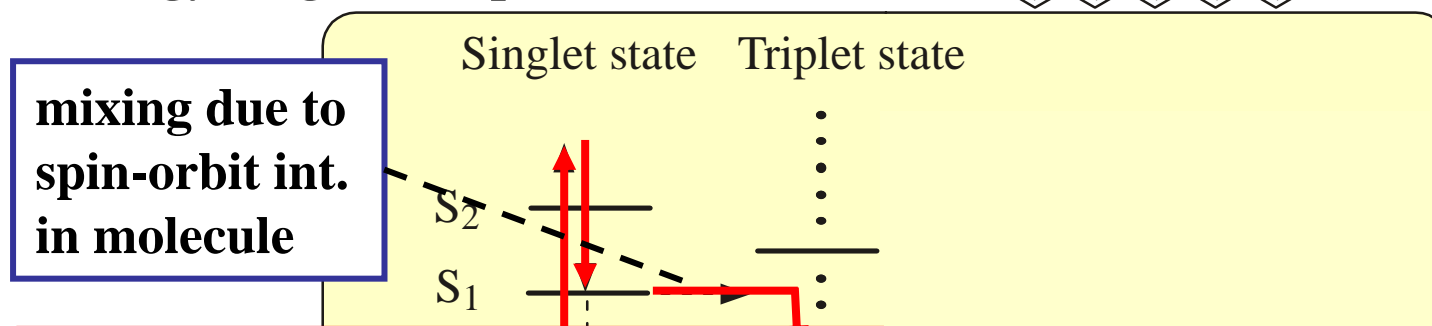
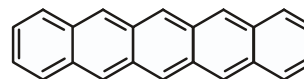
# Proton Polarization at low mag. field

**Idea: use of electron polarization (population difference) in photo-excited triplet state of aromatic molecule**

H.W. van Kesteren et al., Phys. Rev. Lett. **55** (1985) 1642.

A. Henstra et al., Phys. Lett. A **134** (1988) 134.

**Energy diagram of pentacene molecule**



**mixing due to spin-orbit int. in molecule**

**Electron polarization**

$$P = \frac{0.76 - 0.12}{0.76 + 0.12} = 0.73$$

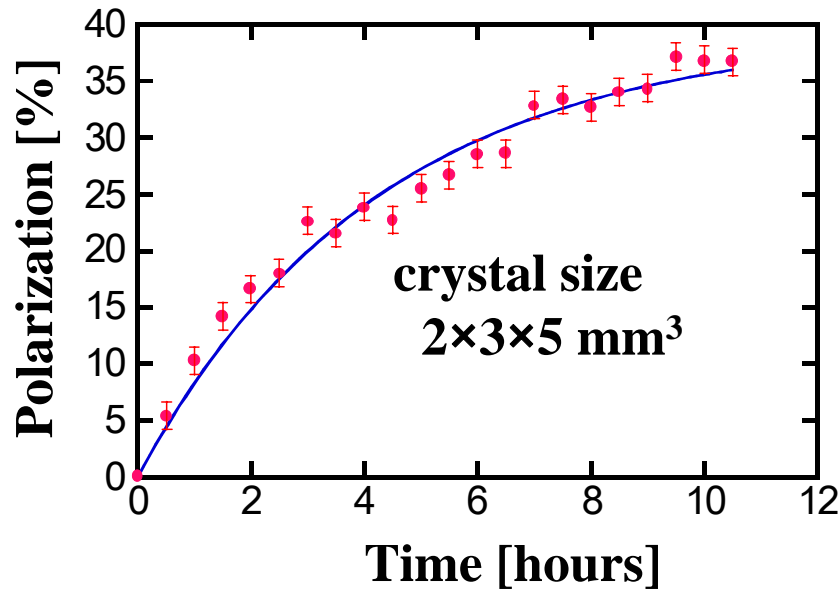
**depends neither on B nor T**

# Test of Proton Polarization

## Test with a small crystal

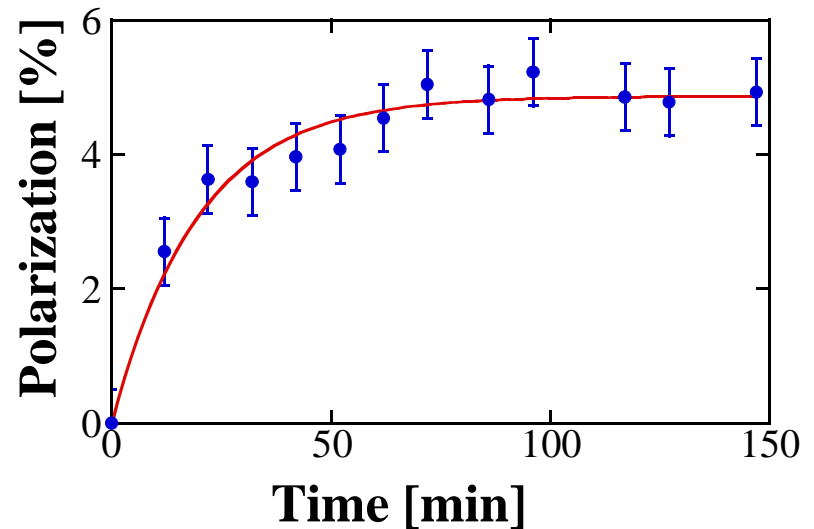
T. Wakui et al., NIM A 526 (2004) 182 & NIM A 550 (2005) 521.

**Polarization in naphthalene  
at 0.3 T, 100K**



Proton polarization :  $36.8 \pm 4.3\%$   
( $39.3 \pm 4.6\%$ )

**Polarization in p-terphenyl  
at 0.3T, room temperature**



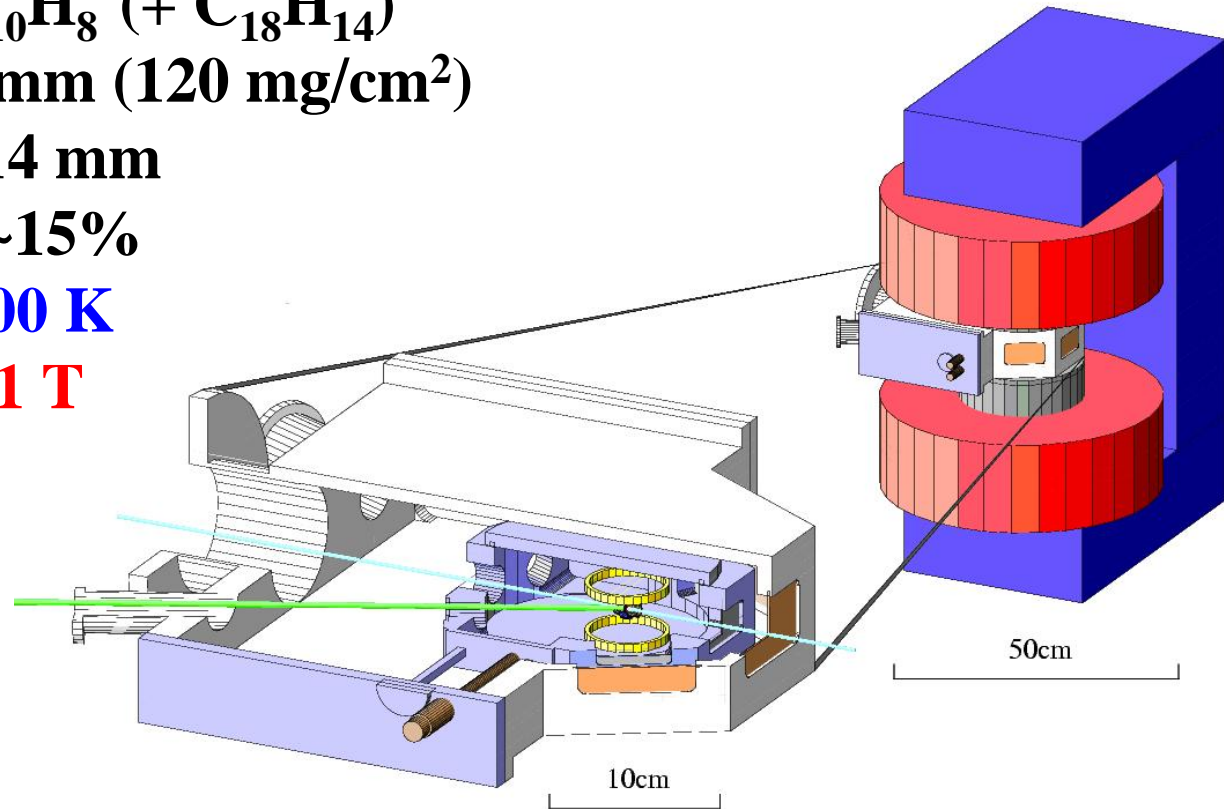
$4.8 \pm 1.2\%$

enhancement factor  $> 5 \times 10^4$

# Solid Polarized Proton Target at CNS

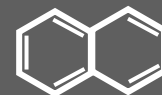
**New Polarized Proton Target applicable to RI beam exp.**

**material:**  $C_{10}H_8$  (+  $C_{18}H_{14}$ )  
**thickness:** 1 mm ( $120 \text{ mg/cm}^2$ )  
**size:**  $\phi 14 \text{ mm}$   
**polarization:**  $P \sim 15\%$   
**temperature:** 100 K  
**mag. field:** 0.1 T

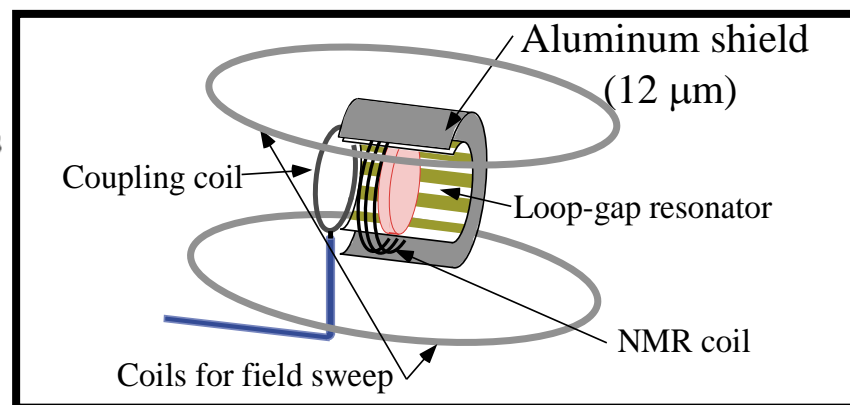
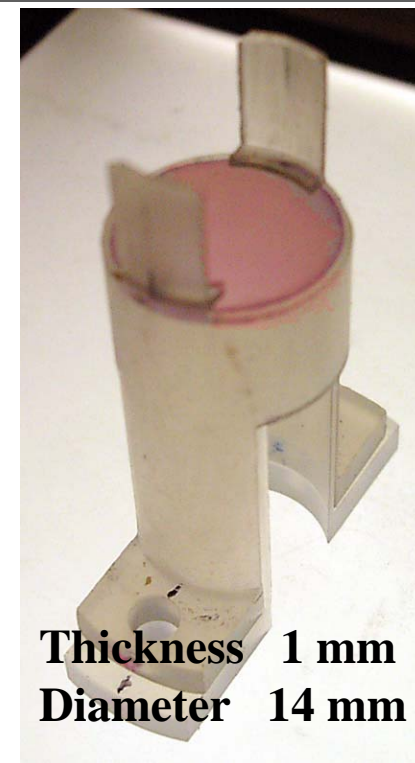
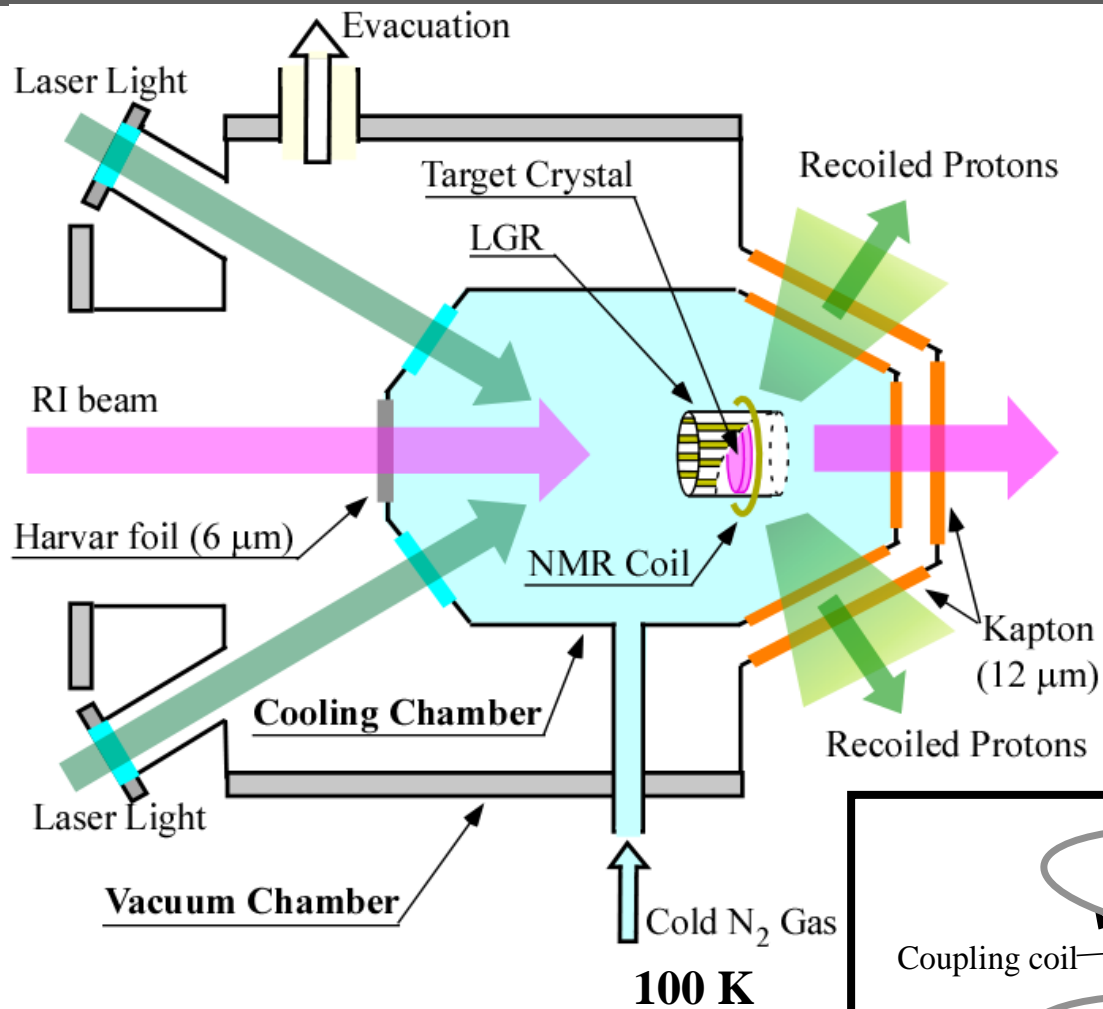
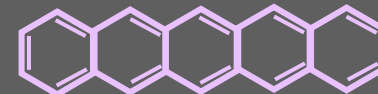


T. Wakui et al., NIM A 550 (2005) 521.  
 T. Uesaka et al., NIM A 526 (2004) 186.  
 M. Hatano et al., EPJ A 25 (2005) 255.

# Around the Target



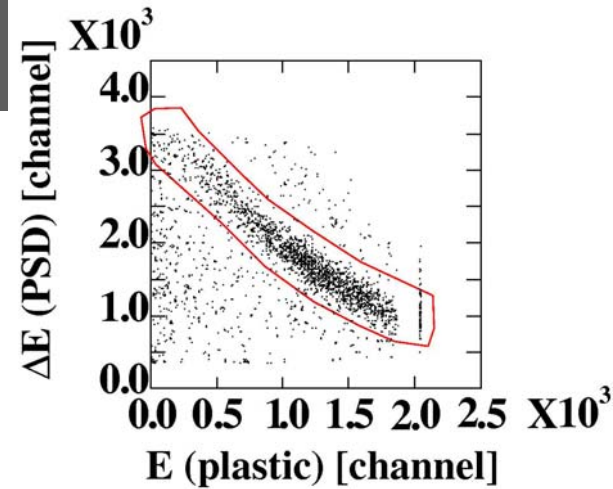
+



# Recoil Proton Detection

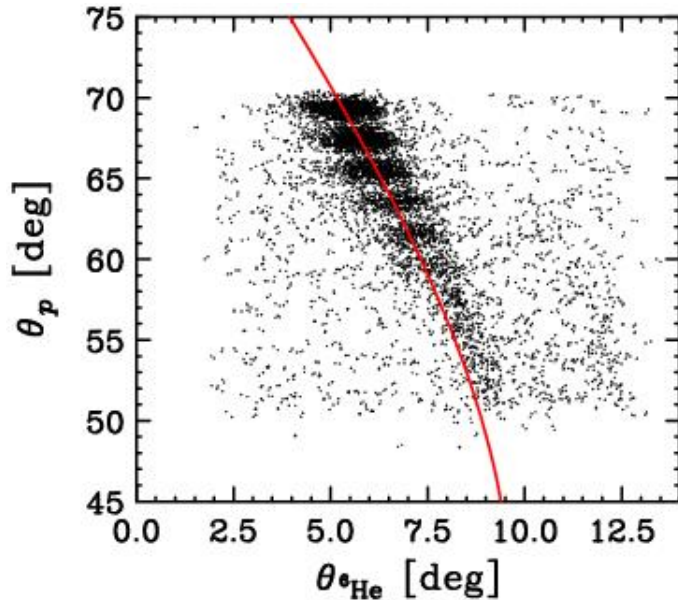
## Energy of recoil protons

several - 100 MeV (depending on  $\theta_p$ )

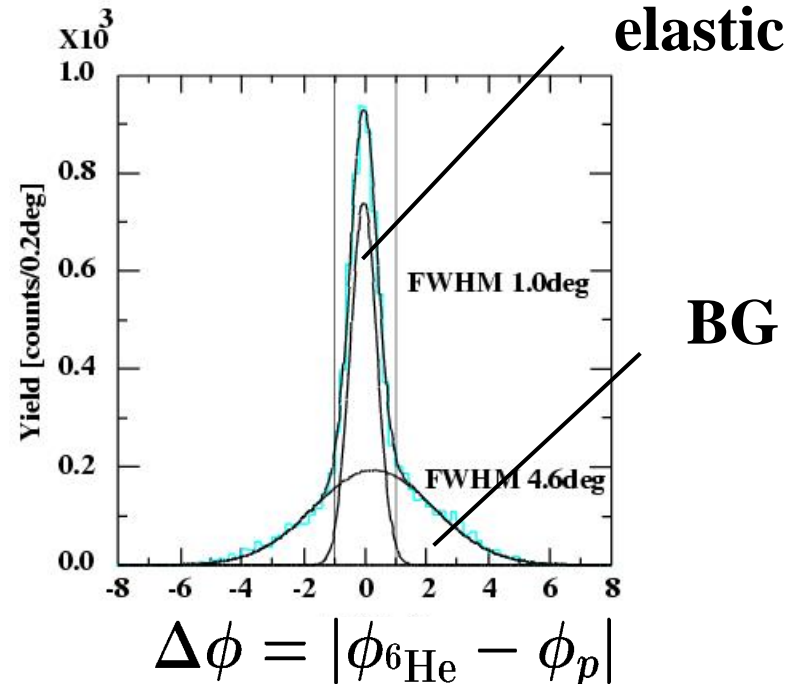


## Background rejection

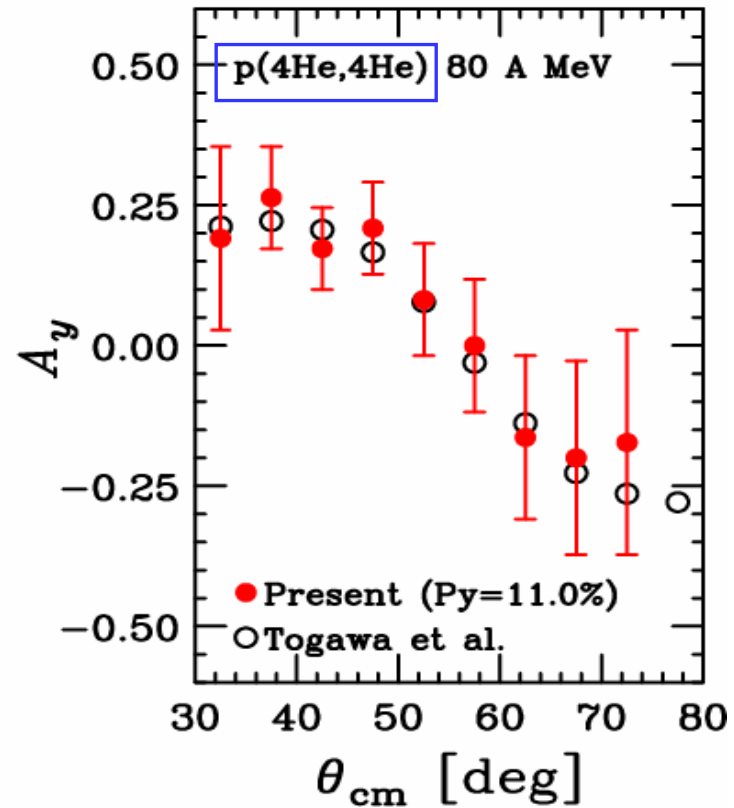
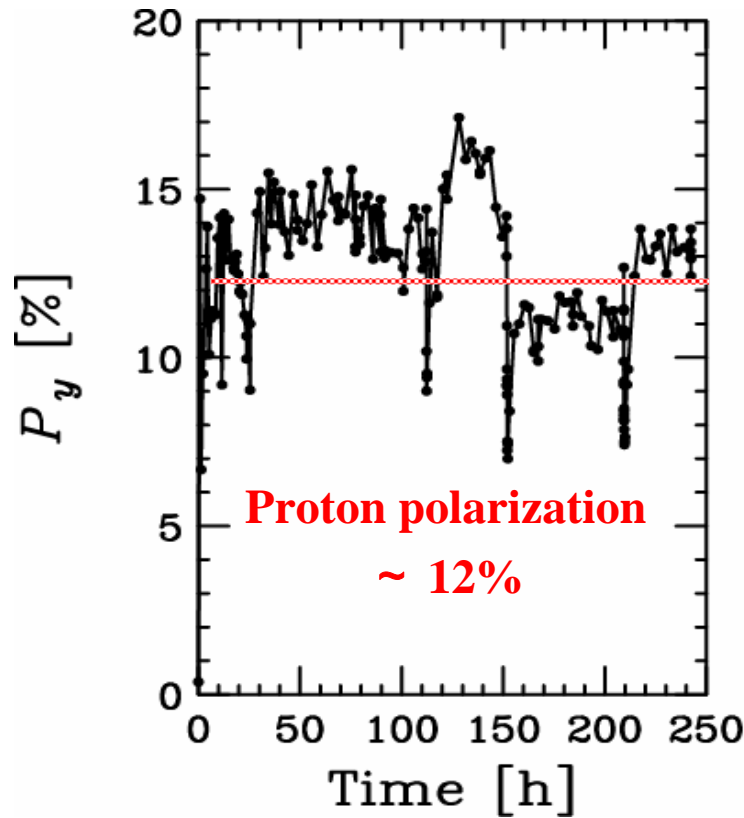
### $\theta_p$ - $\theta_{6\text{He}}$ Correlation



### $\phi_p$ - $\phi_{6\text{He}}$ Correlation



# Proton Polarization



**12% target polarization was obtained.**

→ << 37% for a small crystal:                      limited by the laser power.

$A_y$  for  $p\text{-}^4\text{He}$  elastic scattering was reproduced.

# p-<sup>6,8</sup>He Elastic Scattering

The polarized target has been successfully applied to RI-beam experiments at RIPS

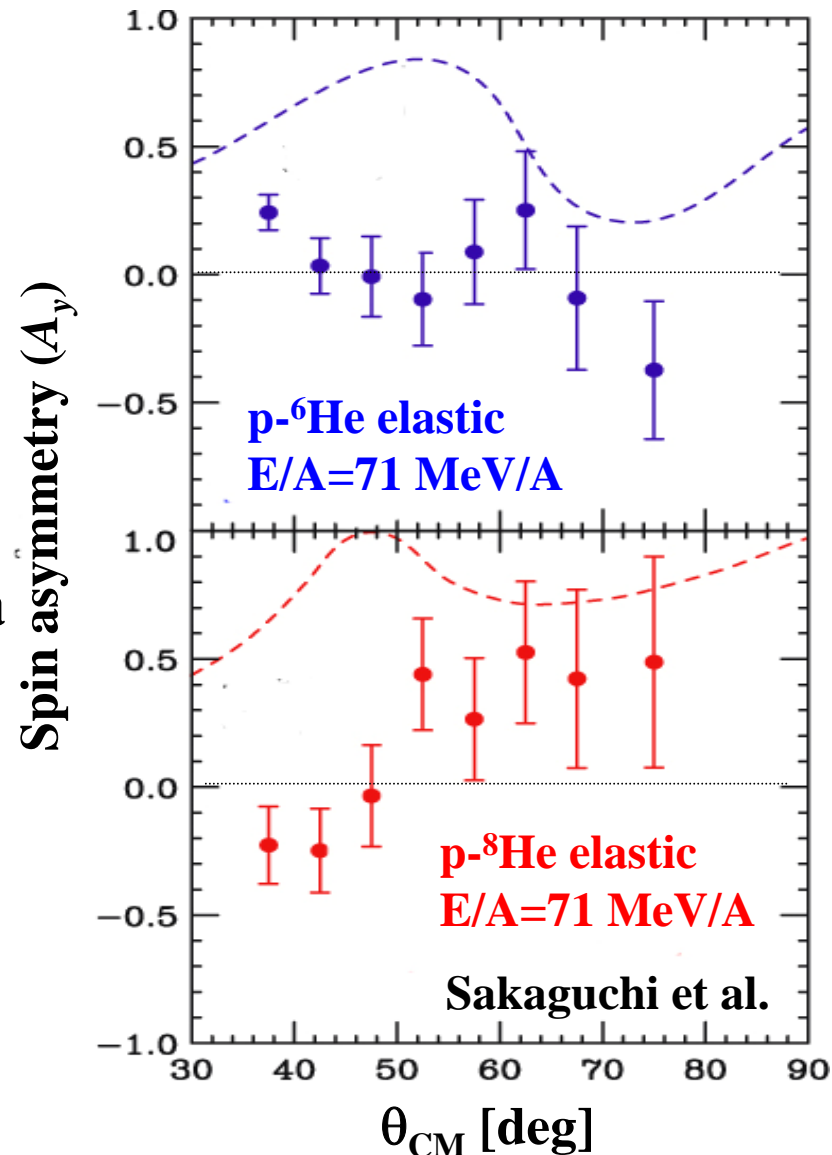
spin-asymmetry in the p-<sup>6,8</sup>He elastic scattering at 71 MeV/A.

Large discrepancies between data and microscopic theory (dashed lines)

S. P. Weppner et al.

Phys. Rev. C **61** (2000) 044601.

Angular distributions for p-<sup>6</sup>He and p-<sup>8</sup>He are different



## Single hole state spectroscopy and determination of $\Delta E_{ls}$ in neutron/proton-rich O isotopes

8	$^{16}\text{O}$ $^{-218.79^\circ}$ $^{-182.97^\circ}$ $^{-118.16^\circ}$  $15.9994$ $0.078\%$	<b>O12</b>	<b>O13</b>	<b>O14</b>	<b>O15</b>	<b>O16</b>	<b>O17</b>	<b>O18</b>	<b>O19</b>	<b>O20</b>	<b>O21</b>	<b>O22</b>	<b>O23</b>	<b>O24</b>
		0.40 MeV 0+	8.58 ms (3/2-)	70.606 s 0+	122.24 s 1/2-	0+	5/2+	0+	26.91 s 5/2+	13.51 s 0+	3.42 s (1/2,3/2,5/2)+	2.25 s 0+	82 ms	61 ms 0+
		2p	ECp	EC	EC	99.762	0.038	0.200	$\beta^-$	$\beta^-$	$\beta^-$	$\beta^-$	$\beta_n$	$\beta_n$



$$\Delta E_{ls}(1p, \text{proton}) \sim 6 \text{ MeV}$$

→ heavier elements in future

$\vec{p}$   
(p,pN) at RIBF

**E/A = 200–300MeV:**

**best energy for the study**

1) weak distortion for incoming and scattered proton

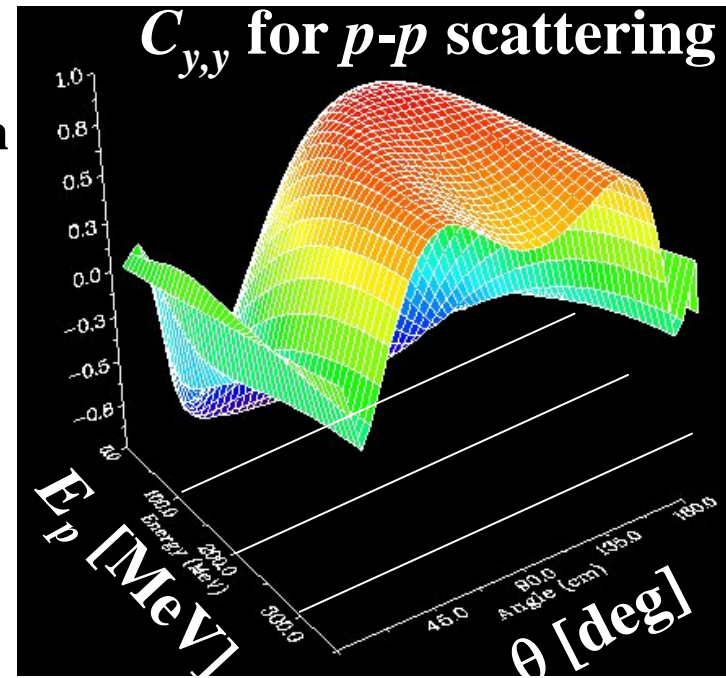
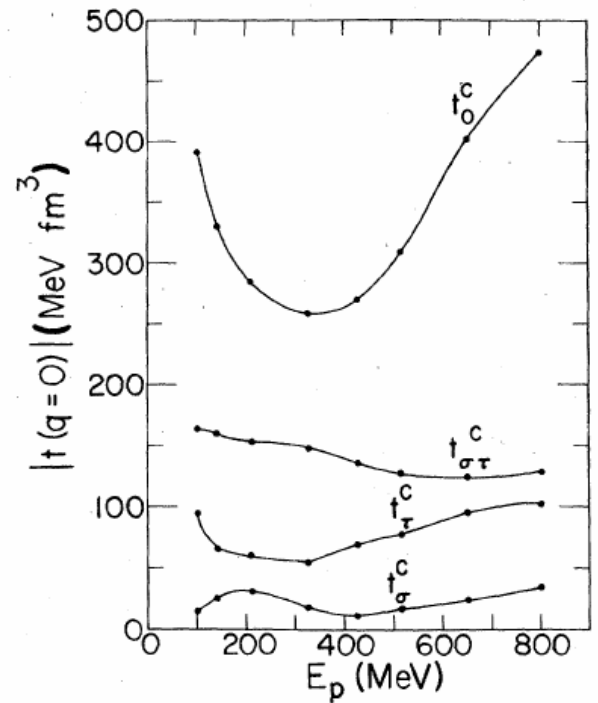
$$E_p = 150 - 250 \text{ MeV}$$

2) modest absorption for recoiled nucleon

$$E_N = 50 - 100 \text{ MeV}$$

3) large spin-correlation parameter in N-N scattering

$$C_{y,y} \sim 0.8$$



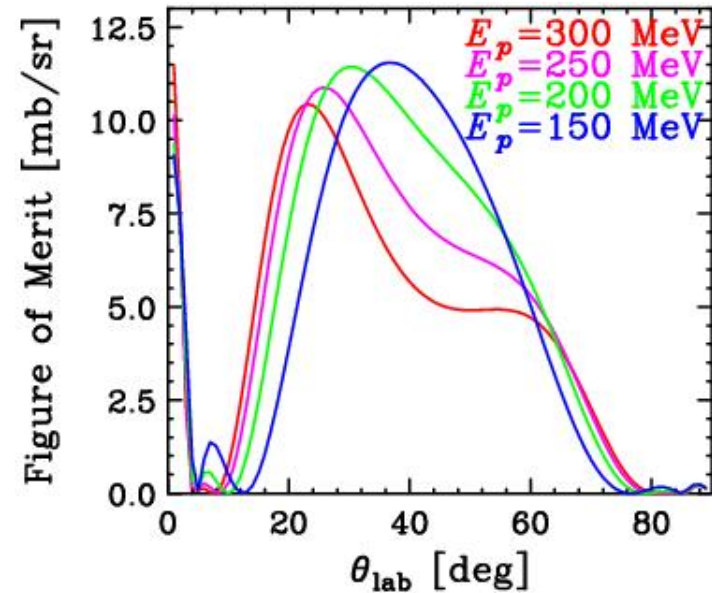
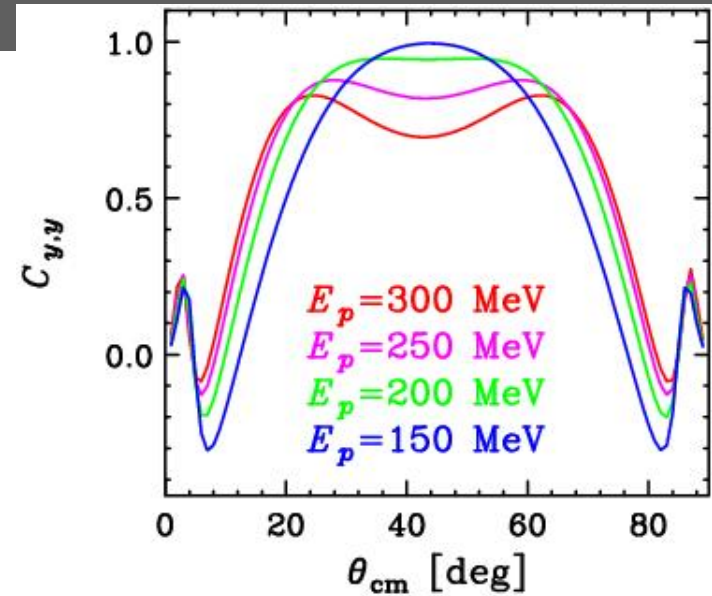
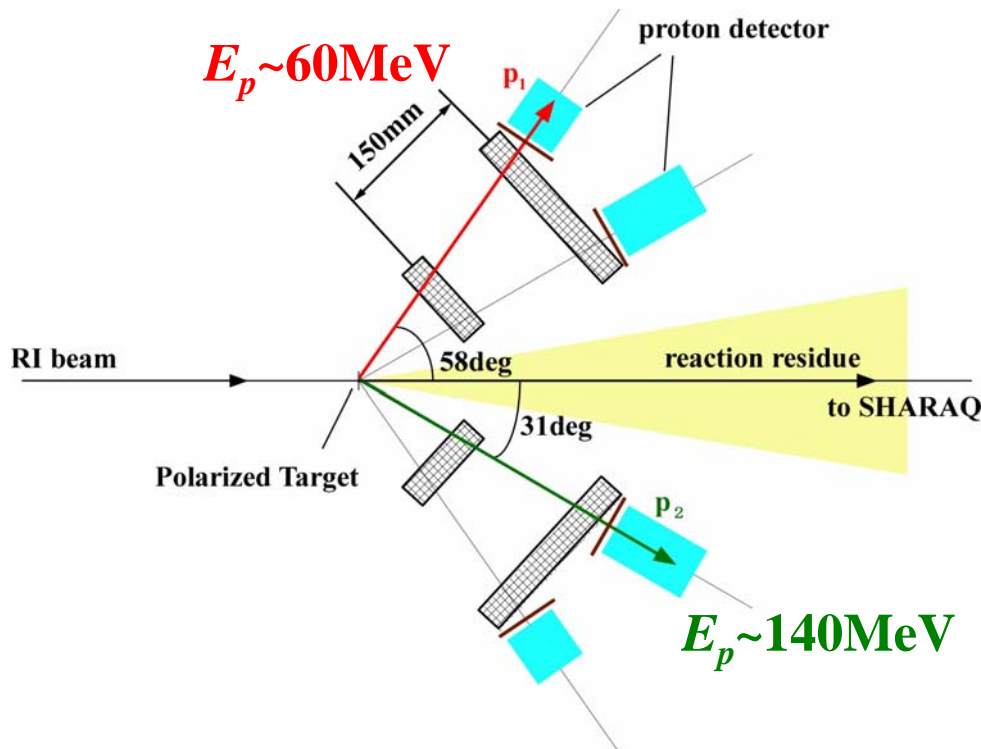
# (possible) Experimental Setup

**Large spin correlation coeff.**

→  $E_p = 200$  MeV

**Large figure of merit ( $d\sigma/d\Omega \times C_{y,y}^2$ )**

→  $\theta_{lab} \sim 30$  deg



**Target thickness should be optimized: statistics  $\Leftrightarrow$  resolution:**

**Target thickness:  $10^{21}$  /cm<sup>2</sup> (0.25mm-thick target)**

**to be developed (1mm at present)**

**Beam intensity:  $10^5$  /sec**

**Cross section 0.1 mb**

**( $\theta_{\text{lab}}=30-40\text{deg}$ ,  $\phi_{\text{lab}}<\pm 30\text{deg}$ )**

**large solid angle: merit in inv. kinematics**

**Polarization 0.3 (to be developed. 0.15 at present)**

**1-day measurement**

**$\rightarrow \Delta A_y/A_y \sim 0.05$  for a state with a unit spectroscopic factor**

$\Delta E_s$  depends on beam momentum ( $p_{\text{beam}}$ ), energies ( $E_N$ ) and scattering angles ( $\theta_N$ ) of scattered/recoiled nucleons.

$$\Delta E_s \sim 5 \text{ MeV} \times (\Delta p_{\text{beam}}/p_{\text{beam}})$$

2 % resolution for  $\Delta p_{\text{beam}}/p_{\text{beam}}$

$$\Delta E_s \sim 10 \text{ MeV} \times (\Delta E_N/E_N)$$

a few % resolution for  $\Delta E_N/E_N$

$$\Delta E_s \sim 0.3 \text{ MeV} \times \Delta \theta_N \text{ [mrad]}$$

$$\Delta \theta_N \sim 1.5 \text{ mrad}$$

← multiple scatt. in the target (0.25mm)

$$\rightarrow \Delta E_s \sim 0.5 \text{ MeV}$$

# Summary

- “Model independent” determination of  $\Delta E_{ls}$  is made possible by **spin-asymmetry measurements with polarized target.**
- **N/Z-dependences of spin-orbit splitting are of critical importance in understanding shell regularity at far from the stability line microscopic origins of SO coupling in nuclei**
- **Polarized proton solid target developed at CNS has brought into a practical use in RI beam experiments.**
- **$(p,pN)$  measurements at RIBF will provide a unique opportunity to investigate SO coupling in n-/p-rich nuclei.**